

Opening up Echo Chambers via Optimal Content Recommendation

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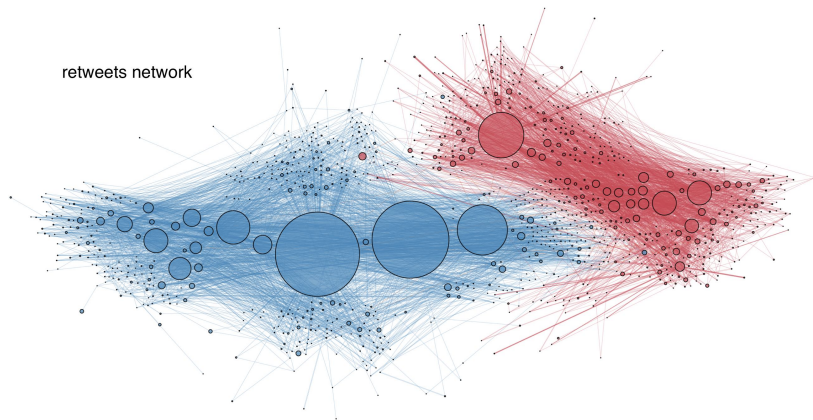
¹University College London, ²Inria, ³Sorbonne University

September 29, 2022



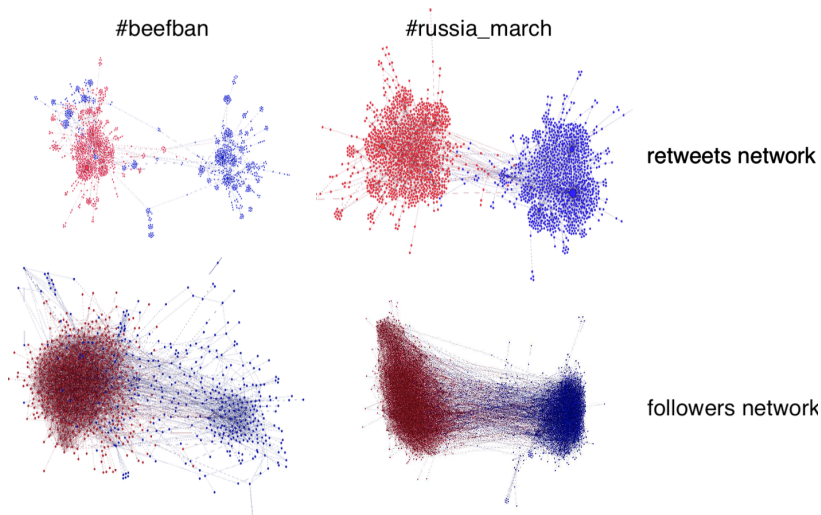
What is an echo chamber?

Echo chambers



Weber *et al.*(2020). #ArsonEmergency and Australia's "Black Summer": Polarisation and Misinformation on Social Media. MISDOOM 2020.
https://doi.org/10.1007/978-3-030-61841-4_11

Echo chambers



Garimella *et al.*(2016). Quantifying Controversy in Social Media. WSDM '16.
<https://doi.org/10.1145/2835776.2835792>.

Consequences...

- ▶ opinion polarisation
- ▶ extremism
- ▶ fake news
- ▶ conspiracy theories

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Need to open up the echo chambers!

The #Elysée2017fr dataset

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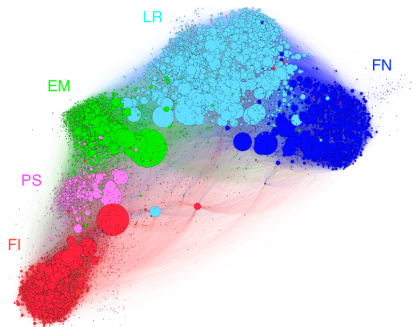
- ▶ 2.4M tweets
- ▶ 7.7M retweets
- ▶ 22,853 profiles
- ▶ November 2016 - May 2017
- ▶ **known political affiliations FI,PS,EM,LR,FN**

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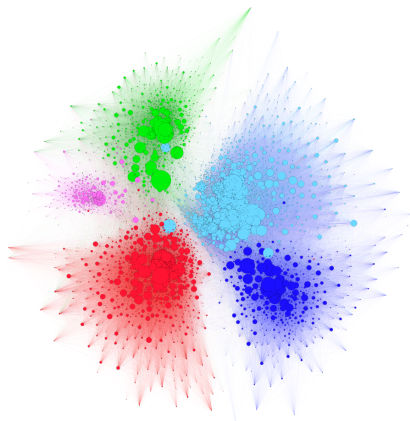
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Followers graph: 8,277 users and 975,168 edges

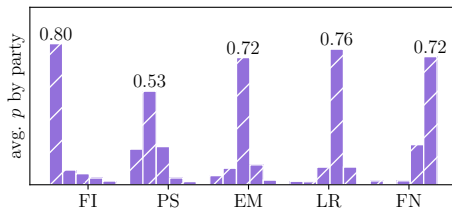


Followers graph



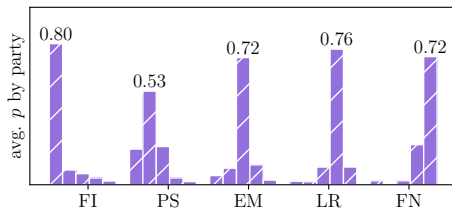
Retweet graph

Echo chambers in #Elysée2017fr



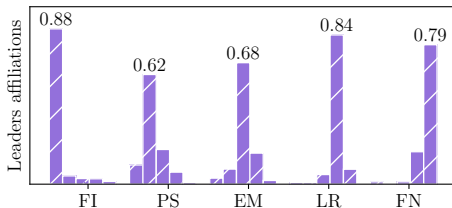
Distribution of content users are exposed to.

Echo chambers in #Elysée2017fr



Distribution of content users are exposed to.

Not surprising...



Quantifying content diversity

For user n :

$$\Phi_n = \frac{S}{S-1} \sum_{s=1}^S p_s^{(n)} (1 - p_s^{(n)}). \quad (1)$$

$p_s^{(n)}$: average proportion of content from party s on the newsfeed of n .

$S = 5$: number of parties.

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How to increase Φ_n with recommendations?

Diffusion model

- ▶ Strongly connected network of N users.
- ▶ Self-posting rates $\lambda_s^{(n)}$.
- ▶ Re-posting rates $\mu^{(n)}$.
- ▶ Newsfeeds of finite size.
- ▶ Posts appear on the newsfeeds of followers and replace a random item.
- ▶ Repost uniformly at random amongst newsfeed items.

Giovanidis, A., Baynat, B., Magnien, C., Vendeville, A.: Ranking online social users by their influence. *IEEE/ACM Transactions on Networking* 29(5), 2198–2214 (2021)

Balance of opinions on newsfeeds

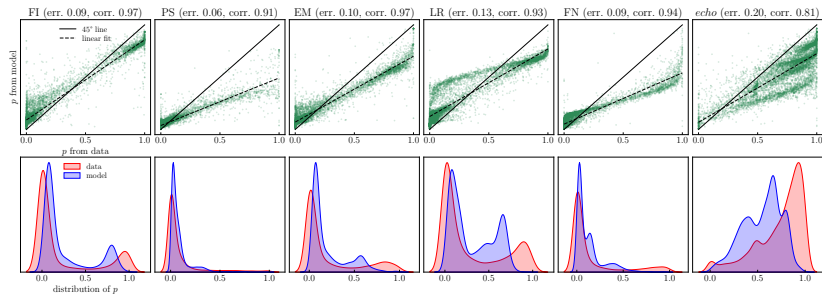
At equilibrium $p_s^{(1)}, \dots, p_s^{(N)}$ are solution of the following linear system:

for $n = 1, \dots, N$,

$$p_s^{(n)} \sum_{k \in \mathcal{L}^{(n)}} (\lambda^{(k)} + \mu^{(k)}) = \sum_{k \in \mathcal{L}^{(n)}} (\lambda_s^{(k)} + \mu^{(k)} p_s^{(k)}). \quad (2)$$

- ▶ Assuming the user graph is strongly connected and at least one user has $\lambda > 0$, the system has a unique solution.
- ▶ Computed via power iteration.

Empirical evaluation



Method to increase diversity

Goal: maximise average diversity of content on the newsfeeds.

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- ▶ B budget: no more than a proportion B of recommended content on newsfeeds

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- ▶ $x_s^{(n)}$: rate at which we insert posts from party s into n 's newsfeed
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Objective: find $x_s^{(n)}$ for all n, s to maximise average diversity under budget B .

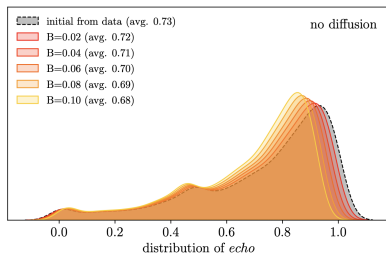
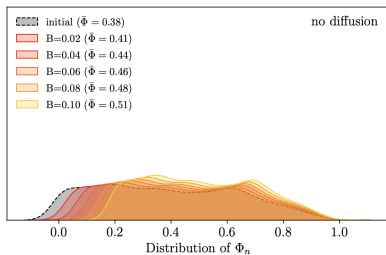
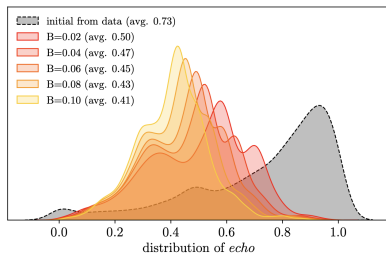
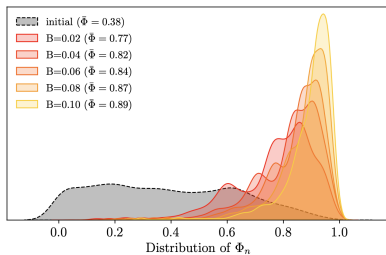
Optimisation problem

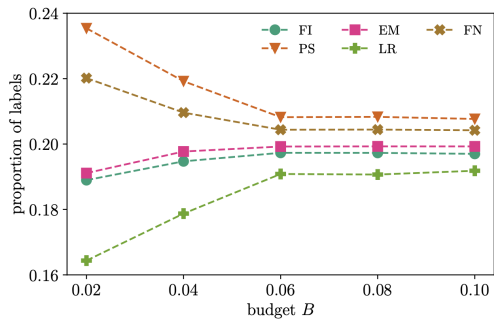
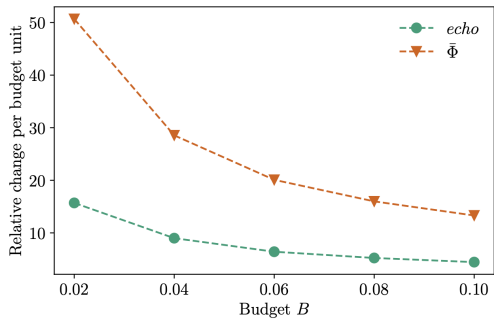
$$\begin{aligned} \operatorname{argmax}_{x,p} \quad & \frac{1}{N} \sum_n \Phi_n \\ \text{s.t.} \quad & \text{for all } n, s : \\ & \underbrace{\frac{p_s^{(n)}}{1-B} \sum_{k \in \mathcal{L}^{(n)}} (\lambda^{(k)} + \mu^{(k)}) = x_s^{(n)} + \sum_{k \in \mathcal{L}^{(n)}} (\lambda_s^{(k)} + \mu^{(k)} p_s^{(k)})}_{\text{model equation}}, \\ & \underbrace{\sum_s x_s^{(n)} = \frac{B}{1-B} \sum_{k \in \mathcal{L}^{(n)}} (\lambda^{(k)} + \mu^{(k)})}_{\text{budget constraint}}, \\ & x_s^{(n)}, p_s^{(n)} \geq 0. \end{aligned}$$

Optimisation problem

- ▶ quadratic objective with linear constraints
- ▶ 83K variables
- ▶ 50K constraints
- ▶ Gurobi solver (barrier algorithm)
- ▶ runtime ~ 10 min

Now let's see the results...

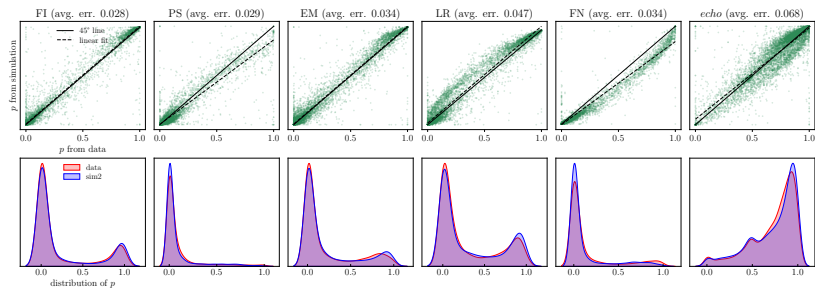




Further research

- ▶ Model accuracy vs empirical values...
- ▶ Backfire effect: limit the amount of cross-cutting content?
- ▶ enforce equality in the share of recommendations dedicated to each party
- ▶ other methods: content filtering, users recommendations...

Model simulation with preferential reposting



Thank you!

Budget constraint

$$\sum_s x_s^{(n)} = B \left(\sum_s x_s^{(n)} + \sum_{k \in \mathcal{L}^{(n)}} (\lambda^{(k)} + \mu^{(k)}) \right) \quad (3)$$

$$\implies \sum_s x_s^{(n)} = \frac{B}{1-B} \sum_{k \in \mathcal{L}^{(n)}} (\lambda^{(k)} + \mu^{(k)}) \quad (4)$$

Model equations

$$p_s^{(n)} \left(\sum_s x_s^{(n)} + \sum_{k \in \mathcal{L}^{(n)}} (\lambda^{(k)} + \mu^{(k)}) \right) = x_s^{(n)} + \sum_{k \in \mathcal{L}^{(n)}} (\lambda_s^{(k)} + \mu^{(k)} p_s^{(k)}) \quad (5)$$

$$\Rightarrow \frac{p_s^{(n)}}{1 - B} \sum_{k \in \mathcal{L}^{(n)}} (\lambda^{(k)} + \mu^{(k)}) = x_s^{(n)} + \sum_{k \in \mathcal{L}^{(n)}} (\lambda_s^{(k)} + \mu^{(k)} p_s^{(k)}) \quad (6)$$